

## AN OVERVIEW OF CHROMATIC ABERRATIONS, MINIMIZATION OF SPHERICAL ABERRATION

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### ABSTRACT:

*According to geometric optics, the photograph of a point item shaped in a lens is a factor photo. In reality, the image of a factor object isn't a point image, however it's miles spread in to a region in space both along and perpendicular to the axis of the lens. The deviation of an optical photo in size, form and position shaped by way of a lens is known as aberration of an optical picture. even when an optical device is perfectly made, the photograph is never quite perfect. these variations between perfection and what's truly viable are known as "aberrations". they're divided into two classes: chromatic (shade) aberrations and monochromatic aberrations. The spherical aberration in a convex lens is taken to be superb because the marginal photo is fashioned near the lens than the paraxial image. in the case of concave lens the spherical aberration is taken to be bad as the marginal image is formed to the proper aspect of the paraxial image. on this paper, the evaluation of chromatic aberrations and minimizing of round aberration is discussed.*

**KEYWORDS:** Aberration, Deviation, Spherical aberration, Chromatic aberrations.

### INTRODUCTION:

in step with geometric optics, the photograph of a factor item shaped in a lens is a factor photograph. In fact, the image of a factor object is not a factor image, but it's miles unfold in to a vicinity in space each alongside and perpendicular to the axis of the lens. The deviation of an optical photograph in length, form and position fashioned by using a lens is called aberration of an optical image.

The aberration of an picture is not due to any defect within the construction of the

lens, however it's far due to the reasons stated beneath:

- (1) The phenomenon of refraction within the lens and
- (2) variant of refractive index of the cloth of a lens with the wavelength of mild.

Chromatic aberration: Aberration of optical snap shots formed in a lens due to the version of refractive index with the wavelength of light is called chromatic aberration.

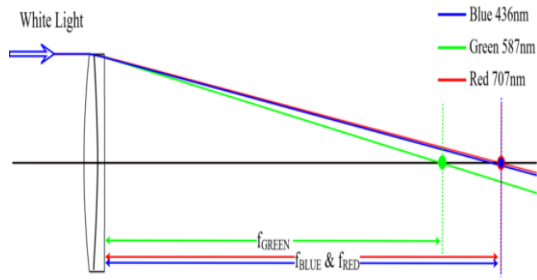
the two chromatic aberrations are axial chromatic and lateral chromatic. The difference is that axial chromatic aberration is gift at the optical axis, in addition to everywhere else. Lateral chromatic aberrations best occurs off-axis.

### Axial Chromatic Aberration:

Axial chromatic aberration (ACA) takes place anywhere inside the subject of view, and is pretty tons the equal everywhere. The reality that the refractive index ( $n\lambda$ ) of glass is special for special wavelengths causes this.

### Correcting for Axial coloration:

It wasn't till 1757 that John Dolland located combining exceptional sorts of glass ought to lessen this hassle. This technique, known as an achromat (from the Greek 'a' (without) and 'chromos' coloration), brings the blue and pink foci to the equal area and leaves the inexperienced mild at a specific focal duration. See determine 1 for an example.



**Fig 1: Achromatic Doublet**

using an achromatic doublet, as in fig 1, extensively improves photo satisfactory with the aid of reducing the blur. Bringing all three wavelengths to a commonplace consciousness can similarly reduce this blur. This kind of lens, referred to as an apochromat, is generally made from 3 elements.

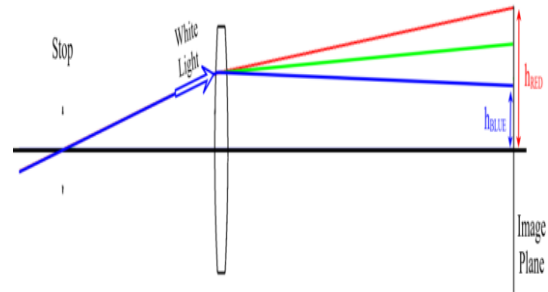
“stopping down” the lens is another manner to lessen ACA. This just way permitting a smaller diameter of mild thru the systems. The term “stopping down” comes from the scale of the stop in the lens, that's simply the proscribing aperture inside the optical device.

it is vital to word that stopping down the lens does no longer change L-ACA however as an alternative can substantially decrease T-ACA. that is due to the fact stopping down the lens does no longer trade the focal length distinction between shades, it only decreases the attitude among the mild rays and the optical axis. therefore, it decreases the space from the optical axis that the out of focus mild rays move the picture aircraft (T-ACA).

**Lateral Chromatic Aberration:**

Lateral chromatic aberration (LCA) increases linearly with the distance from the optical axis. which means it is 0 on axis due to the fact the gap from the axis is 0. in case you're seeking out some other way to consider lateral colour, keep in mind this: lateral coloration is a chromatic difference in magnification – pink objects appear larger than blue or

vice versa. As visible discern 2, the red photo peak is larger than the inexperienced and blue photograph heights. The distinction between the extreme picture heights is equal to the amount of LCA is in a system.



**Fig.2 Lateral Chromatic Aberration**

**Correcting for Lateral Color:**

If ACA is found in a gadget, LCA is linear with appreciate to stop position. accordingly it's beneficial to pick out a forestall function where the LCA is zero. once LCA is corrected, ACA may be corrected by means of achromatizing (changing factors to achromats) factors that aren't close to the forestall. as soon as ACA is corrected, the prevent can be moved to its original position considering that LCA relies upon at the presence of ACA in a lens.

We also can use symmetry to accurate for LCA. Designing a lens system in order that it's far near symmetric about the stop will lower LCA.

**Monochromatic aberration:** The aberration of optical image even when monochromatic light is used is known as monochromatic aberration.

There are five different types of monochromatic aberrations.

They are,

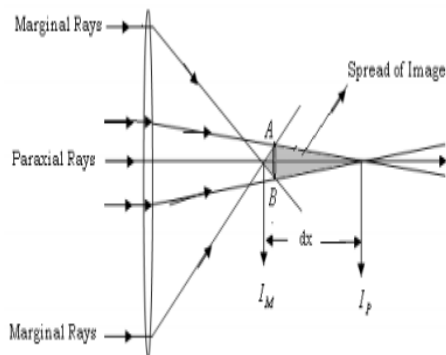
- (1) Spherical aberration
- (2) Coma

- (3) Astigmatism
- (4) Curvature of the field and
- (5) Distortion

**Spherical aberration:**

The rays of light from the remote item after passing thru the lens at the margin of the lens [known as marginal rays] converge at a factor  $I_m$  near the lens. similarly, the rays of light passing via a location near the axis [known as paraxial rays] converge at a factor  $I_p$ , faraway from the lens. This effects in an photograph that spreads into a place from  $I_m$  to  $I_p$  along the axis and from A to B perpendicular to the axis. This disorder of the photo because of the rays passing thru specific segment of the lens, regardless of monochromatic light, is referred to as spherical aberration of the lens.

The spread of the photograph along the axis,  $[dx]$  is known as longitudinal spherical aberration. The image fashioned at AB is a circle with least diameter and at this role the first-rate photo is formed. This circle is referred to as the circle of least confusion. The radius of the circle of least confusion measures lateral round aberration.



**FIG 3:** Spherical aberration in convex lens

Aberrations are divided into principal categories: errors that occur whilst polychromatic mild (white mild) is handed thru a lens, and errors that are present while handiest a unmarried wavelength (monochromatic) of light is applied. the selected references listed underneath incorporate records approximately the reason and correction of the maximum not unusual optical aberrations encountered with microscope and different lens systems. undergo in thoughts that the optical clothier need to correct for each polychromatic and monochromatic aberrations concurrently within the production of properly-corrected microscope goals.

**METHODOLOGY:**

The spherical aberration in a convex lens is taken to be positive as the marginal image is formed near the lens than the paraxial image. In the case of concave lens the spherical aberration is taken to be negative as the marginal image is formed to the right side of the paraxial image.

**MINIMIZATION OF SPHERICAL ABARRATION:**

Methods of reducing spherical aberration:

- (1) **By using stops:** In this case, the stops used will either allow the paraxial rays or marginal rays. Usually the stop is used to avoid the marginal rays. This brings paraxial and marginal images close to one another thereby reducing the spherical aberration.
- (2) **By the use of Plano-convex lens:** In a lens, the deviation produced by the lens is minimum, when the deviation is shared equally between the two surfaces of the lens. This is achieved in a Plano-convex

lens by arranging convex side facing the incident or emergent rays whichever are more parallel to the axis as shown in the following figure(4)



**FIG 4:** Plano-convex lens by arranging convex side facing the incident or emergent rays

(3) **By the use of crossed lenses:** It is theoretically known that the lenses have minimum spherical aberration when the parallel rays fall of the lens having their radii of curvature  $r_1$  and  $r_2$  bearing a ratio, which satisfies the following condition.

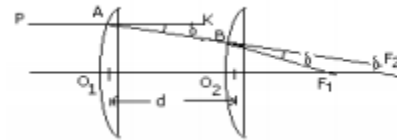
$$\frac{r_1}{r_2} = \frac{\mu(2\mu - 1) - 4}{\mu(2\mu + 1)} \text{ --- (1)}$$

the ratio  $\mu$  is the refractive index of the material of the lens. For a lens of  $\mu = 1.5$  the above equation,  $r_1/r_2 = -(1/6)$ . A lens having its radii of curvature satisfying this condition is known as a crossed lens.

(4) **By using two Plano-convex lenses separated by a suitable distance:** When the two plano-convex lenses are separated at a suitable distance, the total deviation is divided equally between the two lenses and the total deviation is minimum. This reduces the spherical aberration to minimum. The necessary condition is derived as follows.

With reference to figure (5), we can write,

$$\angle BAK = \angle BF_2O_2 = \delta, \text{ Also, } \angle F_1BF_2 = \angle BF_2F_1 = \delta, \\ \text{So that } F_1F_2 = F_1B = F_1O_2 \text{ Or } O_2F_1 = \frac{1}{2} O_2F_2.$$



**FIG 5**

Since  $F_2$  is the virtual object of the real image  $F_1$  and using the lens formula for the second lens, we can write the equation,

$$\frac{1}{v} - \frac{1}{u} = \frac{1}{f_2} \text{ --- (2)}$$

In this equation

$$u = f_1 - d \text{ \& } v = \frac{f_1 - d}{2} \text{ --- (3)}$$

Substituting for 'u' and 'v' and simplifying, we get,

$$\frac{2}{f_1 - d} - \frac{1}{f_1 - d} = \frac{1}{f_2} \Rightarrow \frac{1}{f_1 - d} = \frac{1}{f_2} \Rightarrow f_2 = f_1 - d \\ \text{Or, } d = f_1 - f_2 \text{ --- (4)}$$

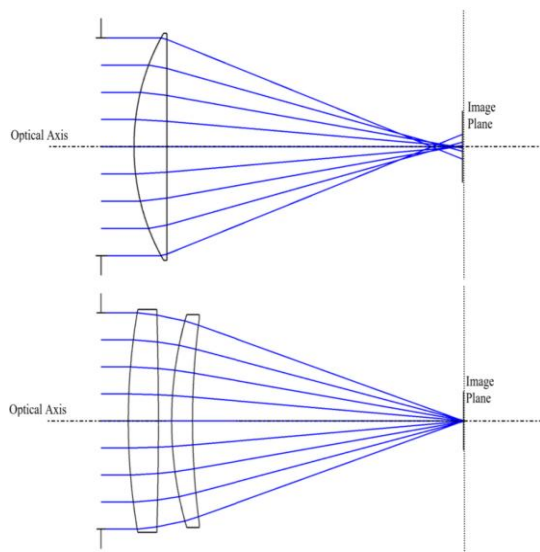
Equation (4) gives the condition for minimum spherical aberration.

(5) **By using suitable concave and convex lenses in contact:** Since spherical aberration produced by convex lens is positive and that produced by a concave lens is negative, a suitable combination of convex and concave lens will minimize the spherical aberration.

(6) **Lens Splitting:** Another technique called "lens splitting" is when a single lens is split into multiple lenses in close proximity that have a total power of the original single lens. This is effective because SA is highly dependent on angle of incidence, therefore if the lens can be split into multiple lenses, we can decrease the angles of incidence while keeping the same power. Figure 6 shows an example of lens bending and splitting.

Since SA varies with the cube of the entrance pupil diameter, stopping down the lens will greatly reduce SA. Changing the glass type to one with a higher index can help reduce the curvature needed to bend the light and thereby reduce SA.

If the lens needs additional correction, making the lens aspherical can further reduce SA. Lens designers can use combinations of these techniques and more to achieve the level of correction needed.



**Fig 6** SA Reduction by Lens Bending and Splitting

#### CONCLUSION AND DISCUSSIONS:

even though we list those aberrations for my part, they typically occur in combos. most lenses have all of the above aberrations, in addition to chromatic version of the monochromatic aberration (e.g. the round aberration in crimson isn't like the spherical aberration in blue). in the case of concave lens the round aberration is taken to be terrible because the marginal picture is fashioned to the proper aspect of the paraxial image.

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